#4, Solution 3: (**-0.9165**)(10 - 51) + (**-0.4**)(6 - 37) = 50.0.

#5, Solution 27: thus this is Leonardo's MA(1) model.

#5, Q.38:

Select all of the following points that would be in a simple <u>quintile</u> plot for the model.

- □ A. Quintile 1: Predicted 11.5, observed 13
- □ B. Quintile 2: Predicted 26, observed 27
- □ C. Quintile 3: Predicted 36, observed 40.5
- D. Quintile 4: Predicted 80.5, observed 70
- □ E. Quintile 5: Predicted 94, observed 83.5

#6, Q.17: The larger group contains 60 defaults.

#8, solution to Q.14 is missing.

14. E. Z = N / (N + K). $\Rightarrow 1 - Z = K / (N + K)$.

For two years claims-free: $0.07286 = 0 \text{ Z} + (1 - \text{Z}) \mu = \mu \text{ K} / (2 + \text{K})$. $\Rightarrow 0.07286\text{K} + 0.14572 = \mu \text{K}$.

For 3 years claims-free: $0.06800 = 0 \text{ Z} + (1 - \text{Z}) \mu = \mu \text{ K} / (3 + \text{K})$. $\Rightarrow 0.06800\text{ K} + 0.20400 = \mu \text{K}$.

Subtracting the two equations: 0.00486K = 0.05828. \Rightarrow K = 11.99. \Rightarrow μ K = 1.0193.

For ten years claims-free: 0 Z + (1 - Z) $\mu = \mu \text{ K} / (10+\text{K}) = 1.0193 / 21.99 = 4.635\%$ Comment: Similar to Q. 8.31 in "Mahler's Guide to Buhlmann Credibility." $\mu = 1.0193/11.99 = 0.0850$.